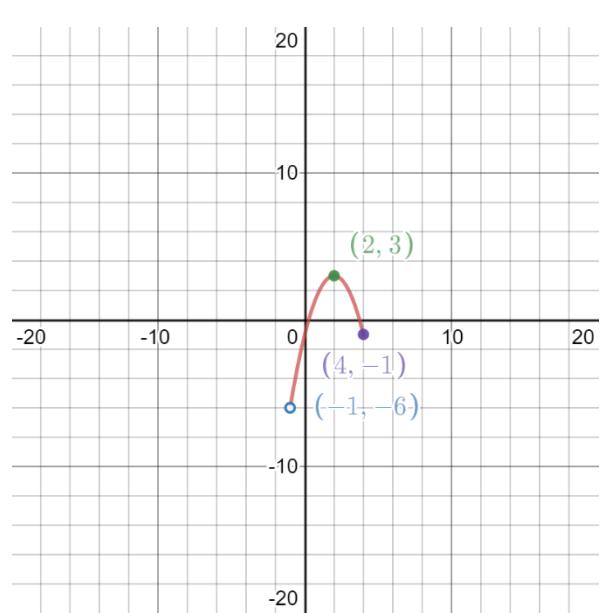


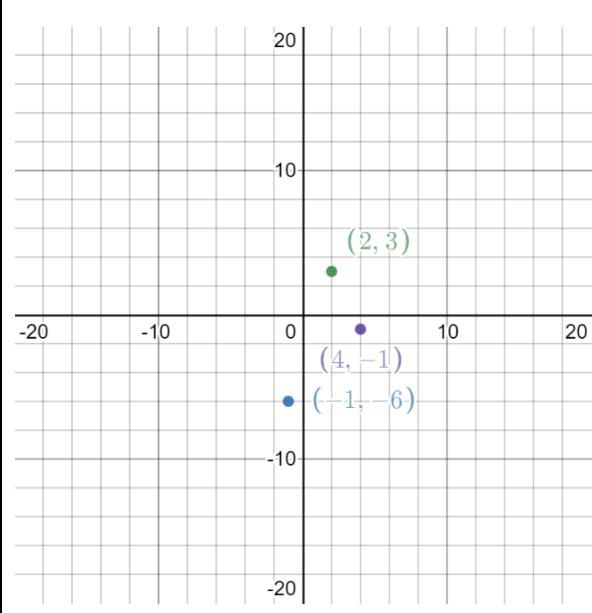
Chapter 3 Practice test

#1 –2: Determine the domain and range of each function, write your answer in interval notation when appropriate.

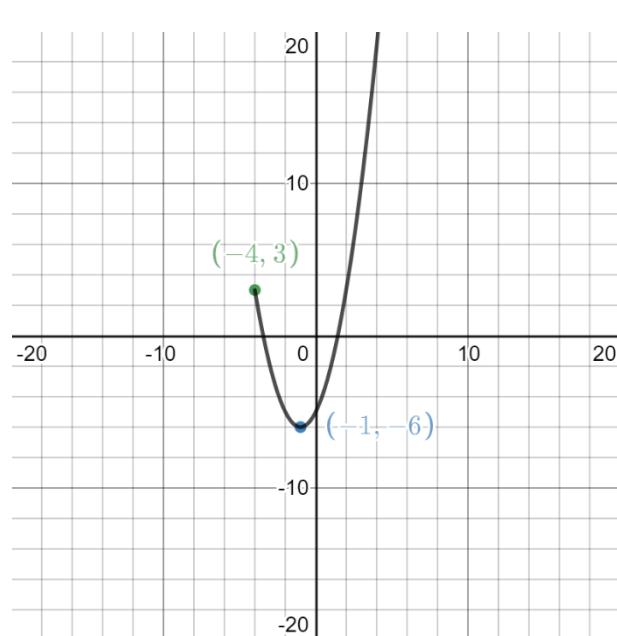
1)



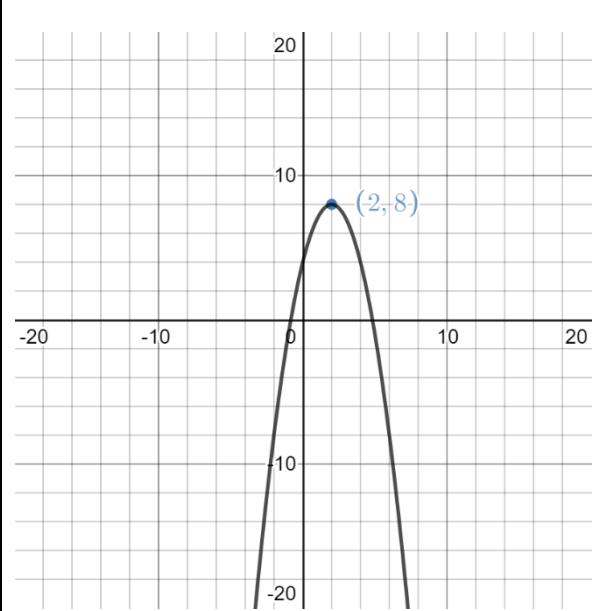
2)



3)



4)



#5-7: Use algebra to find the domain of each function. Write your answer in interval notation.

5) $f(x) = \frac{x-4}{x^2+3x+2}$

6) $f(x) = \sqrt{x-6}$

7) $f(x) = x^2 - 16$

#8–10: let $f(x) = 2x + 5$ and $g(x) = 3x - 1$, find the following

8) $(f-g)(x)$ 9) $(g \circ f)(x)$ 10) $(f+g)(2)$

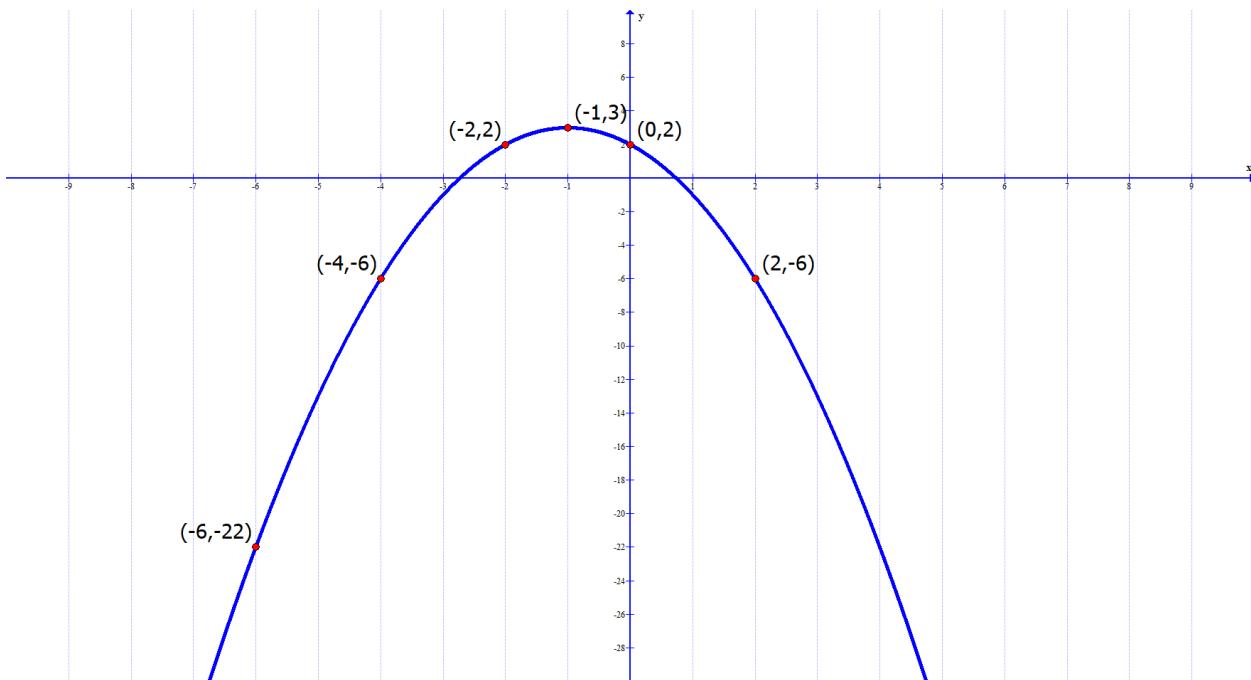
11) Find the difference quotient; that is find $\frac{f(x+h)-f(x)}{h}$; $f(x) = 2x - 3$

12) Find the average rate of change of $f(x) = x^3 + 6x^2$ from 0 to 2

13) $g(x) = \begin{cases} x + 5, & \text{if } x \leq 2 \\ x^2 + 6, & \text{if } 2 < x \leq 5 \\ 5x, & \text{if } x > 5 \end{cases}$

a) $g(2)$ b) $g(6)$ c) $g(5)$

14) Use the graph below to answer the following: (call the function graphed below $f(x)$)



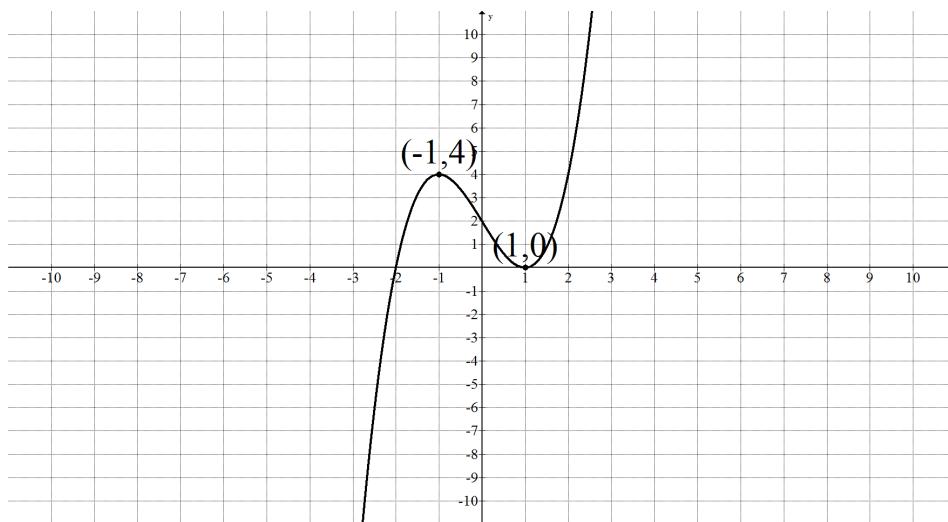
14a) Find $f(2)$

14b) Find $f(-6)$

14c) Find all values of x such that $f(x) = 2$

14d) Find all values of x such that $f(x) = -6$

Use the graph below to find the following.



- 15a) the interval(s) where the function graphed is increasing
- 15b) the interval(s) where the function graphed is decreasing
- 15c) the local maximum point
- 15d) The local maximum value (if any)
- 15e) the local minimum point
- 15f) The local minimum values (if any)

#16 - 20 let $f(x) = x^2$

- a) find the requested function
- b) describe the transformation from the original function.

16) $f(x - 3)$ 17) $-f(x + 5)$

18) $f(x) + 2$ 19) $f(x + 2) - 4$

20) $f(x - 1) + 7$

21) A campground owner has 2000 meters of fencing. He wants to enclose a rectangular field bordering a river, with no fencing needed along the river, and let W represent the width of the field.

- a) Write an equation for the length of the field
- b) Write an equation for the area of the field.
- c) Find the value of w leading to the maximum area
- d) Find the value of L leading to the maximum area
- e) Find the maximum area.

Up and down shifts	Transformation
$y = f(x) + k \ (k > 0)$	Shift the graph UP k units
$y = f(x) - k \ (k > 0)$	Shift the graph DOWN k units

Left and right shifts	Transformation
$y = f(x+h) \ (h > 0)$	Shift graph LEFT h units
$y = f(x-h) \ (h > 0)$	Shift graph RIGHT h units

Reflections	Transformation
$y = -f(x)$	REFLECTS graph about x-axis
$y = f(-x)$	REFLECTS graph about y-axis

Compressing and stretching	Transformation
$y = af(x) \ (a > 0)$	STRETCHES the graph when $a > 1$
	COMPRESSES graph when $0 < a < 1$