### **CHAPTER 12 KINETICS**

## Rates and Mechanisms of Chemical Reactions

### CHM152

### GCC

Chemistry: OpenStax OER text

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### **Kinetics**

- Some chemical reactions occur almost instantaneously, while others are very slow.
- <u>Chemical Kinetics</u> study of factors that affect how fast a reaction occurs and the step-bystep processes involved in chemical reactions.

### Factors That Affect Reaction Rate

- A. Concentration higher concentration of reactants increases rate
- B. Temperature higher T increases rate
- c. Catalysts accelerate reaction rate
- D. Surface area of solid smaller particles increase rate









### **Rate of Reaction Calculation**

- $2H_2O_2(aq) \rightarrow 2H_2O(l) + O_2(g)$
- What is the rate of disappearance of  $H_2O_2$  for each time interval?

$$rate = \frac{-\Delta[H_2 O_2]}{\Delta t} = \frac{-(M_f - M_i)}{t_f - t_i}$$

Time (hr)	[H <sub>2</sub> O <sub>2</sub> ], M	∆[H₂O₂], M	∆t (hr)	Rate of H <sub>2</sub> O <sub>2</sub> , M/hr
0	1.000			
		-0 500	6.00	0.0833
6.00	0.500	0.000	0.00	010000
12.00	0.250			
18.00	0.125			
24.00	0.0625			

### Different ways to measure rate

- Initial rate is measured by the slope of the tangent line when initial reactant concentrations are measured (find the slope of the tangent line at time (t) = 0).
- Instantaneous rate is measured at a specific point in time (find the slope of a tangent line at a specified time).
- **Average rate** is measured as the average between two times. Use rate formula to calculate average rate.





### Rate Expressions

Reaction:  $2N_2O_5 \rightarrow 4NO_2 + O_2$ 

The rate of disappearance of N<sub>2</sub>O<sub>5</sub> is twice the rate of formation of O<sub>2</sub> • To make rates equal, divide rates by their stoichiometric coefficients:

Rate = 
$$-\frac{1}{2} \frac{\Delta [N_2 O_5]}{\Delta t} = \frac{1}{4} \frac{\Delta [NO_2]}{\Delta t} = \frac{\Delta [O_2]}{\Delta t}$$

E.g. For 
$$3H_2 + N_2 \rightarrow 2NH_3$$
,

Write the rate expressions in terms of the disappearance of the reactants and the appearance of the products:





### Rate Law continued

Rate =  $k[A] \times [B]^{y}$ 

- x & y = order of reactants = exponent of reactant in rate law
- Overall Reaction Order = sum of all exponents in rate law
- Exponents cannot be obtained by looking at the equation; they are experimentally determined values.
- exponents are usually 0, 1 or 2

### **Reaction Order Example**

E.g.  $2CIO_2 + F_2 \rightarrow 2FCIO_2$ Given its experimental Rate law: Rate = k[CIO\_2][F\_2]

order of  $CIO_2 =$ order of  $F_2 =$ Overall order =

You cannot determine the reactant orders by looking at the coefficients in a chemical equation!

### Determination of Rate Law from Initial Rates Data

To determine the rate law, we observe the effect of changing initial concentrations of reactants on the initial rate of reaction.

**Exp. Data:** Initial rates ( $\Delta$ [Products]/ $\Delta$ t after 1-2% of limiting reactant has been consumed) are usually given; there is less chance of error from competing side reactions & reversible reactions.

### **Inspection Method**

>A reactant is 1<sup>st</sup> order if doubling [A] causes rate to double; rate is directly proportional to [A].

>A reactant is  $2^{nd}$  Order if doubling [A] causes rate to quadruple (or tripling [A] causes  $3^2$  increase in rate).

>A reactant is Zero order if changing [A] does not affect the rate.

# Reaction Orders may also be found mathematically

To find the order for a specific reactant, examine what happens to the rate as the concentration of only that reactant changes (note: the rate constant k and other concentration terms cancel out, since they don't change!):

 $\left(\frac{concentration 2}{concentration 1}\right)^{\mathsf{x}} = \frac{Rate 2}{Rate 1}$ 

Repeat this process for each reactant.

### e.g. Finding Rate Law using Initial Rates

Experiment		[B] M	Rate M/s
1	0.020	0.010	1.0
2	0.040	0.010	2.0
3	0.040	0.020	8.0
C	rder A = ?		
O	rder B = ?		

Rate = ?

k = ?

### 12.3 Determining a Rate Law • $5Br^{-}(aq) + BrO_{3}^{-}(aq) + 6H^{+}(aq) \rightarrow 3Br_{2}(aq) + 3H_{2}O(l)$ 0.10 0.010 0.15 1.2 x 10<sup>-3</sup> 1 2 0.10 0.020 0.15 4.8 x 10<sup>-3</sup> 3 0.30 0.010 0.15 3.6 x 10<sup>-3</sup> 4 0.10 0.020 0.30 4.8 x 10<sup>-3</sup>

• Need two trials where only one reactant concentration changes (all others are constant).

• Compare changes in rate to changes in concentration to determine the order of the reactant (the exponent in the rate law).



### **IRL variables**

t = time

- k = rate constant
- $[A]_0$  = initial concentration

### $[A]_t$ = concentration at time t

>Units for A can be g, moles, M, torr, etc. >A<sub>t</sub> is always less than  $A_0$ 

### 1<sup>st</sup> order problems

Answers:

- 1. The rate law for the decomposition of  $N_2O_5$  is Rate = k[ $N_2O_5$ ], where k = 5.0 x 10<sup>-4</sup> s<sup>-1</sup>. What is the concentration of  $N_2O_5$  after 1900 s, if the initial concentration is 0.56 M?
- 2. The first order reaction,  $SO_2CI_2 \rightarrow SO_2 + CI_2$ , has a rate constant of 0.17 h<sup>-1</sup>. If the initial concentration of  $SO_2CI_2$  is 1.25 x 10<sup>-3</sup> M, how many seconds does it take for the concentration to drop to 0.31 x 10<sup>-3</sup> M?

http://web.gccaz.edu/~ldiebolt/00152note/work/13kineticsproblemskey.pdf

**1st Order IRL linear format** • Can rearrange first-order IRL to get linear form: In [A] t = -kt + In [A], y = mx + b  $y = ln [A]_t$  m = -k ; thus k = - slope x = t $b = ln [A]_o = y$  intercept



# Half Life of First Order Reactions Half-life (t<sub>1/2</sub>): time it takes for half (50%) of a reactant to be consumed. >50% of the reactant also remains unreacted. ◆How much of a sample remains after 3 half-lives?











Co Ro	Comparison Table for Typical Reaction Orders					
Order	Rate Law	Integrated Law	Linear graph	slope	Half-life	
0	Rate = k	$[A]_t = -kt + [A]_0$	[A] vs. t	-k	$t_{1/2} = \frac{[A]_0}{2k}$	
1	Rate = k[A]	$\ln\left(\frac{[A]_t}{[A]_0}\right) = -kt$	In [A] vs. t	-k	$t_{1/2} = \frac{0.693}{k}$	
2	Rate = k[A] <sup>2</sup>	$\frac{1}{[A]_t} = kt + \frac{1}{[A]_0}$	$\frac{1}{[A]_t}$ vs. t	+k	$t_{1/2} = \frac{1}{k[A]_0}$	
					35	

### Graphical Method of Determining Rate Law

- 1) Make 3 plots: [A] vs time; In [A] vs. time; and 1/[A] vs. time.
- The most linear plot gives the correct order for A; the other 2 graphs should be curves.



### 2nd order IRL example

The rate constant for a  $2^{nd}$  order reaction is 0.54 M<sup>-1</sup>s<sup>-1</sup> at 300°C. If the initial concentration is 0.62 M, what will be the final concentration after 145 seconds?



- >Many chemical reactions occur by a sequence of 2 or more steps.
- Each individual event in the overall reaction is called an elementary step.
- Molecularity: the number of molecules that react in an elementary step.



Unimolecular: 1 molecule  $A \rightarrow products$ 

Termolecular (uncommon):  $3A \rightarrow products \text{ or}$   $2A + B \rightarrow Products \text{ or}$  $A + B + C \rightarrow Products$ 





### Intermediates

Intermediates are short lived species that are formed during the reaction, then are subsequently consumed  $\Rightarrow$  Its 1<sup>st</sup> a product, then a reactant

•Br<sub>2</sub>NO in last example is intermediate

### **Rate Law for Elementary Step**

For an elementary step, the rate law can be written using stoichiometric coefficients of the reactants. (molecularity = order).

E.g. Step 1: Rate =  $k[Br_2][NO]$ 

### **Rate Determining Step**

The slowest step in the reaction is the rate determining step; this step limits how fast products can form. Analogy: freeway during rush hour

The rate law for the overall rxn is determined by the rate of this slow step.

### 2-Step Reaction Mechanism

Step 1: NO<sub>2</sub>(g) + NO<sub>2</sub>(g) → NO(g) + NO<sub>3</sub>(g)
 Step 2: NO<sub>3</sub>(g) + CO(g) → NO<sub>2</sub>(g) + CO<sub>2</sub>(g)

• What is the overall equation? (Hint: Think Hess's Law - adding equations)

 $NO_3$  and one NO<sub>2</sub> cancels so net rxn is:

 $NO_2(g) + CO(g) \rightarrow NO(g) + CO_2(g)$ 

### 2 Step Reaction Mechanisms

- Rate laws for these elementary steps:
- Step 1:  $NO_2(g) + NO_2(g) \rightarrow NO(g) + NO_3(g)$
- Step 1: rate = k[NO<sub>2</sub>][NO<sub>2</sub>] (bimolecular)
- Step 2:  $NO_3(g) + CO(g) \rightarrow NO_2(g) + CO_2(g)$
- Step 2: rate = k[NO<sub>3</sub>][CO] (bimolecular)
- **Intermediates**: product in one step and consumed in a later step
- Catalyst: reactant in one step and product in later step
- Note: Intermediates and catalyst cannot be part of overall reaction!

### **Rate Laws/Reaction Mechanisms**

- Step 1 (slow):NO<sub>2</sub>(g)+NO<sub>2</sub>(g) $\rightarrow$  NO(g) + NO<sub>3</sub>(g)
- Step 2 (fast):NO<sub>3</sub>(g)+CO(g)  $\rightarrow$  NO<sub>2</sub>(g) +CO<sub>2</sub>(g)
- Overall:  $NO_2(g) + CO(g) \rightarrow NO(g) + CO_2(g)$
- a) What is the rate law for this 2-step reaction?
- b) What is the intermediate? Catalyst?
- a)

b)





### <u>Collision Theory</u> Collision Frequency affects Reaction Rate

- ↑ concentrations of reactants result in more collisions, thus the reaction rate ↑.
- Temperatures cause
   molecules to move faster and
   collide more often, increasing
   the rate.

Most collisions don't cause a reaction because

- 1) molecules must have enough Kinetic Energy to:
- overcome electron cloud repulsions between atoms/molecules
- weaken/break reactant bonds
- 2) molecules must have the proper orientation to have an effective collision







### **Arrhenius equation**

- $E_a$  can be found graphically:
- plot of ln k (y axis) vs 1/T (x axis) yields a straight line.
- slope=  $-E_a/R$ ; y intercept = ln A

• Thus 
$$E_a = -R \cdot slope$$

If you have 2 sets of conditions, solve for  $k_1,\,k_2,\,T_1,\,T_2$  or  $E_a$  using:

$$\ln\left(\frac{k_{1}}{k_{2}}\right) = \frac{E_{a}}{R}\left(\frac{1}{T_{2}} - \frac{1}{T_{1}}\right)$$

### **Arrhenius Equation**

• Worked Example 12.11: Rate constants for the reaction  $2\text{HI}(g) \rightarrow \text{H}_2(g) + \text{I}_2(g)$  were measured at five different temperatures. The data are shown in the table below. Determine the activation energy for this reaction. (This will be done in Kinetics lab!)

<i>T</i> (K)	$k (M^{-1} \cdot s^{-1})$	<i>1/T</i> (1/K)	ln k
555	3.52x10-7	0.00180	-14.86
575	1.22x10-6	0.00174	-13.62
645	8.59x10 <sup>-5</sup>	0.00155	-9.362
700	1.16x10 <sup>-3</sup>	0.00143	-6.759
781	3.95x10 <sup>-2</sup>	0.00128	-3.231





### Potential Energy Curves/ Energy profiles

**transition state** – a highly unstable species formed by the collision of the reactant molecules; arrangement of atoms at the top of the energy barrier.

 $\Delta H$  = Heat of reaction

 $\Delta H = \Delta H(\text{products}) - \Delta H(\text{reactants})$ 

 $E_a$  shown for curve is the activation energy for the forward reaction,  $E_a$ (forward). This is the difference in energy between the transition state and the reactants.







### **Homogeneous Catalyst**

• A homogeneous catalyst is one that is in the same phase as the reactants.

Example:  $2H_2O_2(aq) \rightarrow 2H_2O(I) + O_2(g)$ 

 $\begin{array}{l} \mbox{Step 1. } H_2O_2(aq) \,+\, I^{-}(aq) \rightarrow H_2O(l) \,+\, IO^{-}(aq) \mbox{ Slow} \\ \mbox{Step 2. } H_2O_2(aq) \,+\, IO^{-}(aq) \rightarrow O_2(g) \,+\, H_2O(l) \,+\, I^{-}(aq) \mbox{ Fast} \end{array}$ 

**Net rxn:**  $2H_2O_2 (aq) \rightarrow 2H_2O(I) + O_2(g)$ 

•  $I^{-}(aq)$  is the catalyst





